

Fig. 22-1. Voltage controlled low-pass filter (NS).

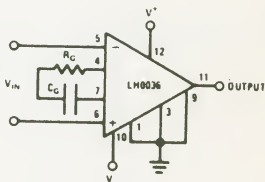


Fig. 22-2. High pass filter (NS).

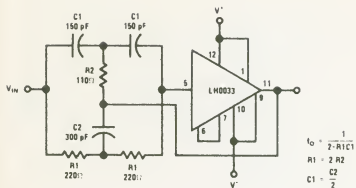


Fig. 22-3. 4.5-MHz notch filter (NS).

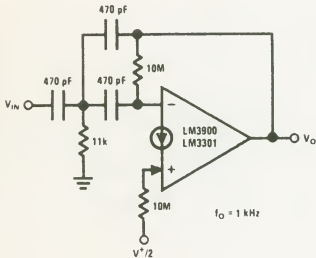


Fig. 22-4. High-pass active filter (NS).

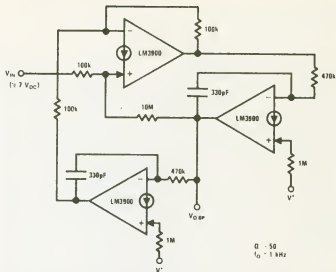


Fig. 22-5. Bi-quad active filter (second degree state-variable network) (NS).

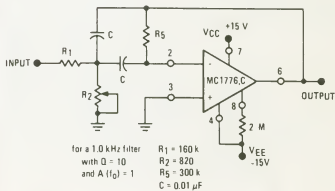


Fig. 22-6. Multiple feedback bandpass 1-kHz filter (M).

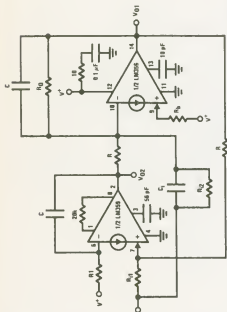
Type I	$\frac{2 V_{(INDC)}}{V^+(R_2)} + \frac{1}{R} + \frac{1}{R_0} = \frac{2}{R_0} + \frac{1}{R_b}$	$R_1 = 2R$
Type II	$\frac{1}{R} + \frac{1}{R_0} = \frac{2}{R_b}$	$R_1 = 2R$
Type III	$\frac{1}{R} + \frac{1}{R_0} = \frac{2}{R_b}$	$\frac{1}{R_1} = \frac{V_{(INDC)}}{V^+(R_1)} + \frac{1}{2R}$

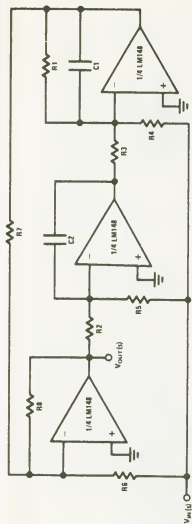
- The high speed of the LM359 allows the center frequency  $Q_0$  product of the filter to be  $f_0 \times Q_0 < 45$  MHz
- The above filter(s) maintains performance over wide temperature range
- One half of LM359 acts as a true non-inverting integrator so only 2 amplifiers (instead of 3 or 4) are needed for the biquad filter structure

## ANALYSIS AND DESIGN EQUATIONS

Type	$V_{O1}$	$V_{O2}$	$C_1$	$R_{12}$	$R_{11}$	$f_0$	$Q_0$	$f_z$ (notch)	$H_0(LF)$	$H_0(BP)$	$H_0(HP)$	$H_0(BR)$
I	BP	LP	0	$\infty$	$\infty$	$\frac{1}{2\pi RC}$	$\frac{R_0}{R}$	—	$\frac{R}{R_2}$	$\frac{R_0}{R_2}$	—	—
II	HP	BP	$C_1$	$\infty$	$\infty$	$\frac{1}{2\pi RC}$	$\frac{R_0}{R}$	—	—	$\frac{R_0 C_1}{RC}$	$\frac{C_1}{C}$	—
III	Notch/BR	—	$C_1$	$\infty$	$R_{11}$	$\frac{1}{2\pi RC}$	$\frac{R_0}{R}$	$\frac{1}{2\pi R R_1 C C_1}$	—	—	—	$H_0 \Big _{f \rightarrow \infty} = \frac{C_1}{C}$ $H_0 \Big _{f \rightarrow 0} = \frac{R}{R_1}$

Fig. 22-7. High-performance 2-amplifier bi-quad filter(s) (NS).



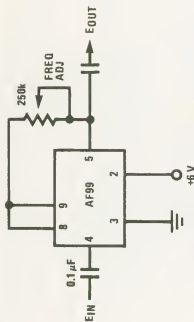


$$Q = \sqrt{\frac{R8}{R7}} \times \frac{R1C1}{\sqrt{R3C2R2C1}}, \quad f_o = \frac{1}{2\pi} \sqrt{\frac{R8}{R7}} \times \frac{1}{\sqrt{R2R3C1C2}}, \quad f_{\text{NOTCH}} = \frac{1}{2\pi} \sqrt{\frac{R6}{R3R5R7C1C2}}$$

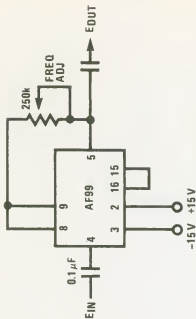
Necessary condition for notch:  $\frac{1}{R6} = \frac{R1}{R4R7}$

Ex:  $f_{\text{NOTCH}} = 3 \text{ kHz}$ ,  $Q = 5$ ,  $R1 = 270\text{k}$ ,  $R2 = R3 = 20\text{k}$ ,  $R4 = 27\text{k}$ ,  $R5 = 20\text{k}$ ,  $R6 = R8 = 10\text{k}$ ,  $R7 = 100\text{k}$ ,  $R1 = 270\text{k}$ ,  $C1 = C2 = 0.001\mu\text{F}$   
 Better noise performance than the state-space approach

Fig. 22-8. Three-amplifier bi-quad notch filter (NS).



80 Hz TO 130 Hz TUNABLE BANDPASS FILTER  
BANDWIDTH = 2.5 Hz, SINGLE SUPPLY



125 Hz TO 270 Hz TUNABLE BANDPASS FILTER  
BANDWIDTH = 5 Hz, DUAL SUPPLIES

Fig. 22-9. Bandpass filters (NS).

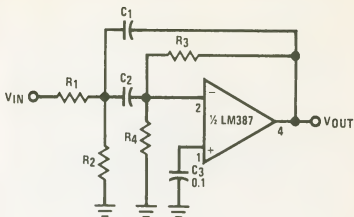
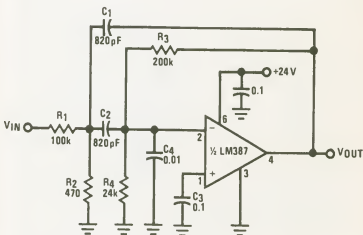
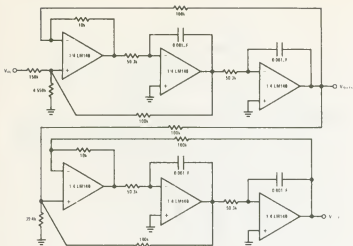


Fig. 22-10. LM387 bandpass active filter (NS).



$A_0 = -1$   
 $f_0 = 20 \text{ kHz}$   
 $Q = 10$   
 $\text{THD} < 0.1\%$

Fig. 22-11. 20 kHz bandpass active filter (NS).

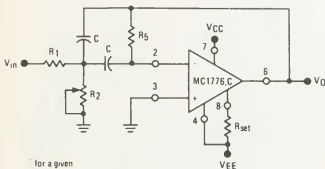


Use general equations, and tune each section separately

$$Q_{1st\text{SECTION}} = 0.541, Q_{2nd\text{SECTION}} = 1.306$$

The response should have 0 dB peaking

Fig. 22-12. A 1 kHz 4 pole butterworth (NS).



for a given

$f_0$  = center frequency

$A(f_0)$  = Gain at center frequency

$Q$  = quality factor

Choose a value for  $C$ , then

$$R_2 = \frac{R_1 R_5}{4Q^2 R_1 R_5}$$

$$R_5 = \frac{Q}{\pi f_0 C}$$

$$R_1 = \frac{R_5}{2A(f_0)}$$

To obtain less than 10% error from the operational amplifier

$$\frac{Q_0 f_0}{GBW} \leq 0.1$$

where  $f_0$  and  $GBW$  are expressed in Hz.  $GBW$  is available from Figure 6 as a function of Set Current,  $I_{set}$

Fig. 22-13. Multiple feedback bandpass filter (M).